

Cluster Mott insulators and spin liquids in Mo-based cluster magnets

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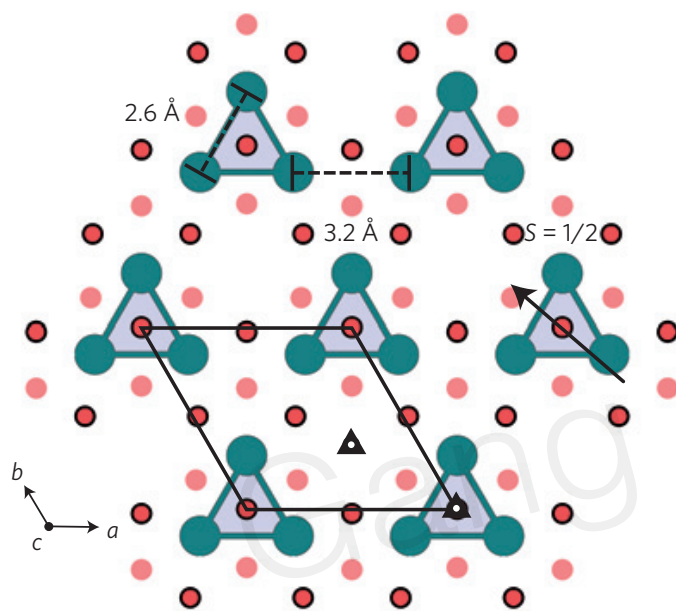
Collaborators: Hae-Young Kee, Yong-Baek Kim

ArXiv 1402.5425 (**Phys. Rev. Lett. 113, 197202 (2014)**)

ArXiv 1408.1963 ????

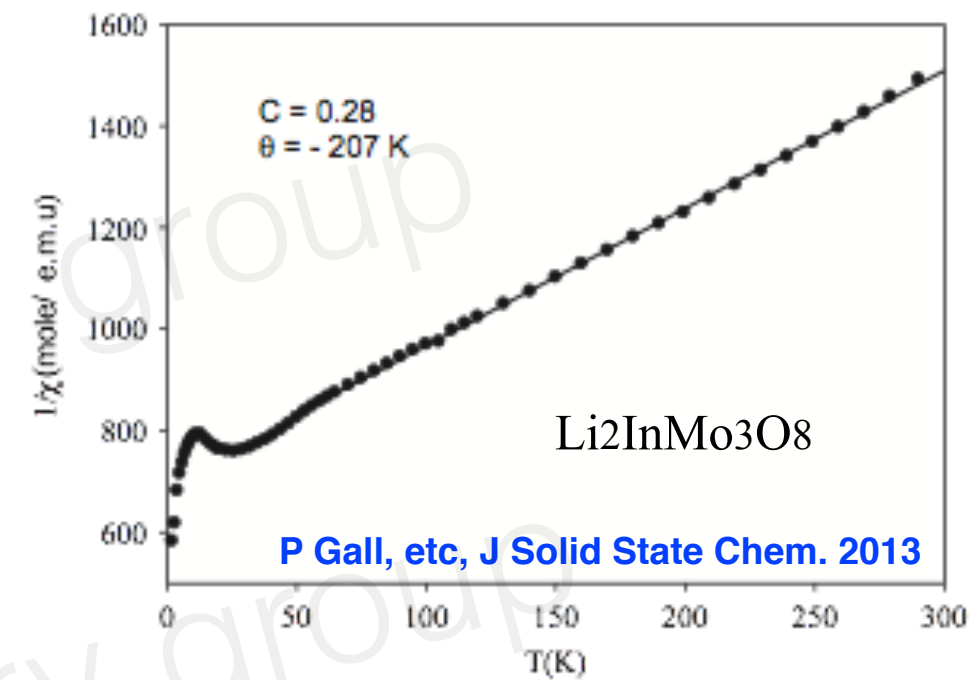
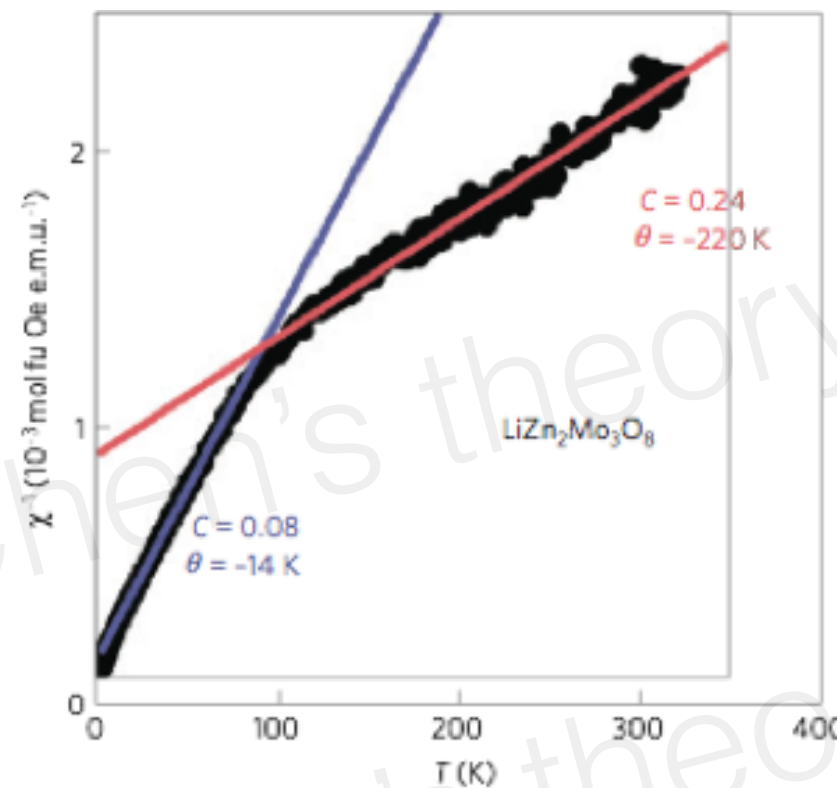


T. McQueen



Nature Material 2012

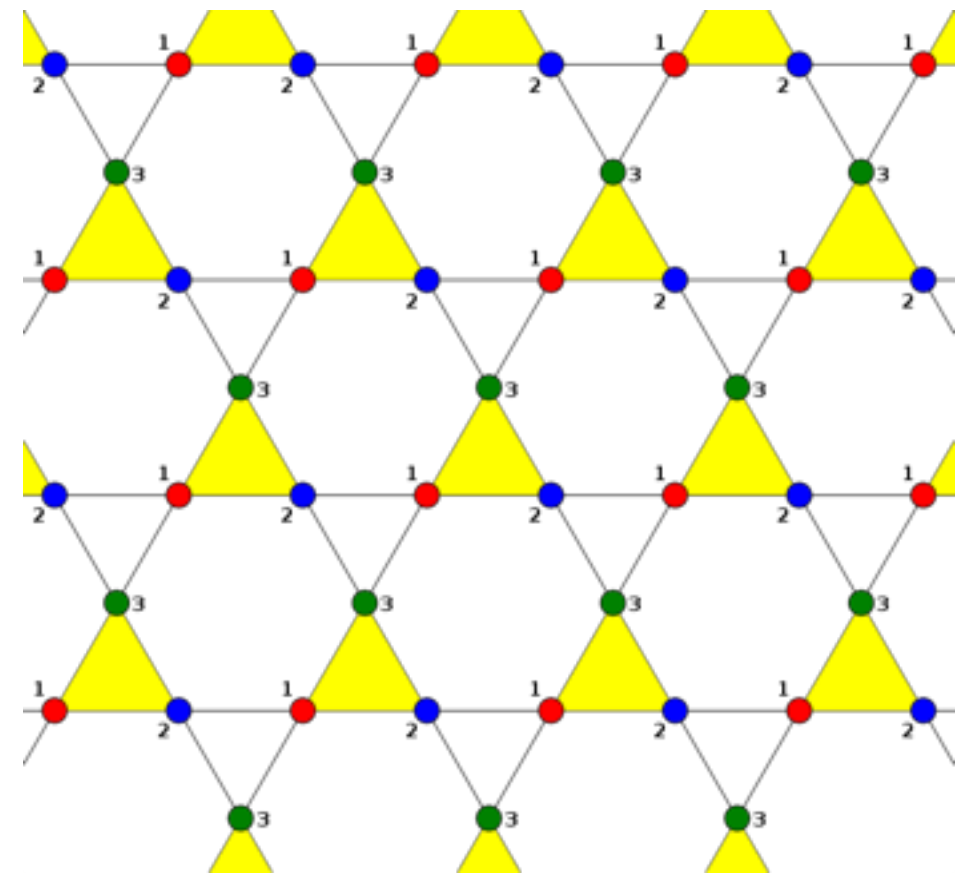
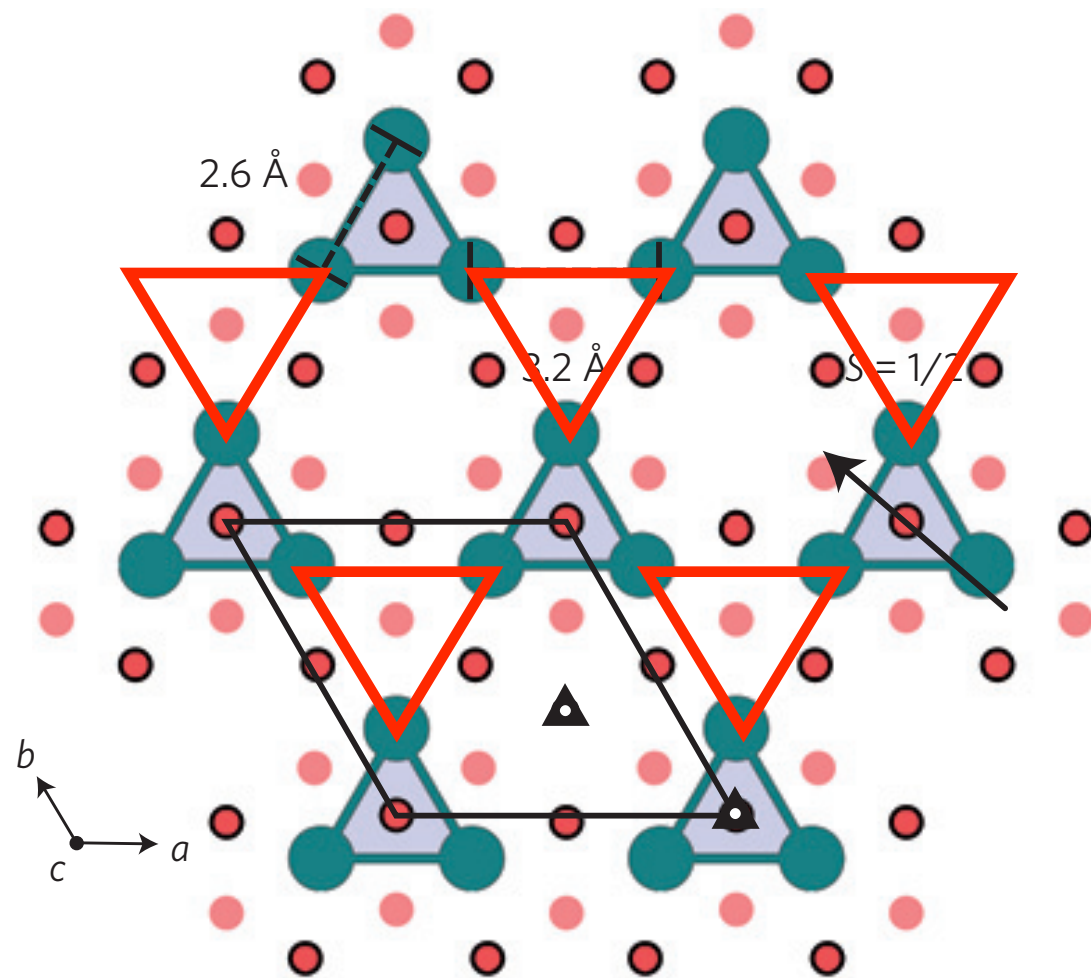
Two Curie-Weiss regimes in $\text{LiZn}_2\text{Mo}_3\text{O}_8$



isostructural material

- The result does not fit into our understanding spin-1/2 triangular system.
- Further low-temperature experiments: NMR, μSR , neutron scattering, proposed as a spin liquid candidate.

The Mo structure: anisotropic Kagome



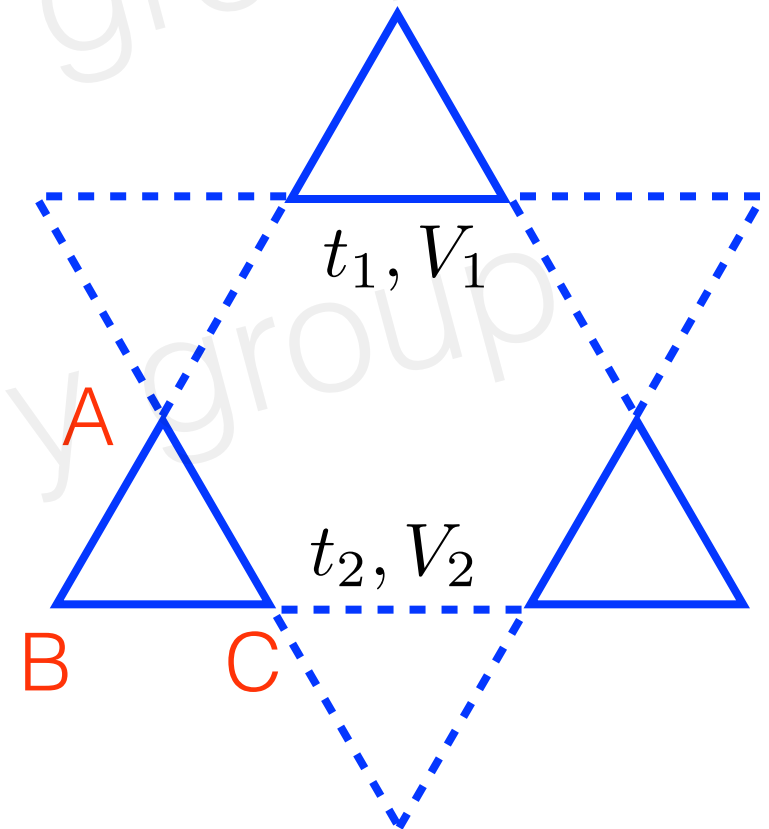
Model

Claim: a single-band extended Hubbard model on an anisotropic Kagome lattice with **1/6 electron filling**.

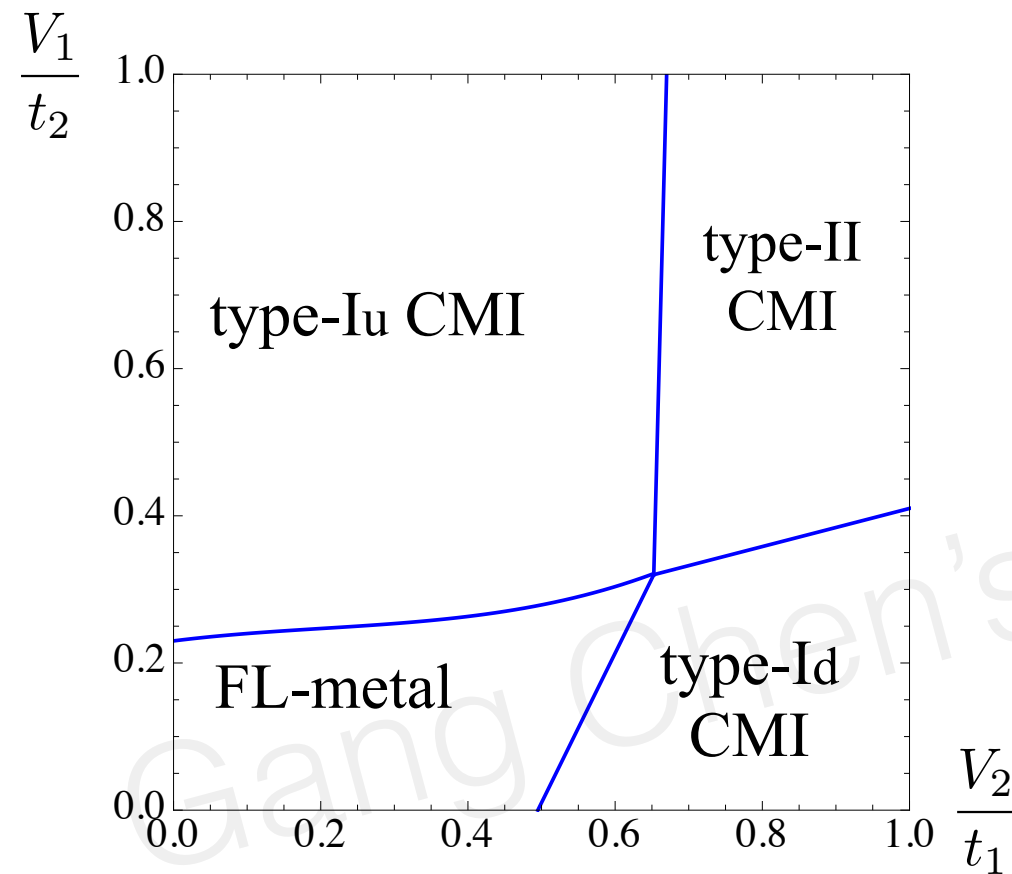
- Minimal model allowed by symmetry [require quantum chemistry understanding]

$$H = \sum_{\langle ij \rangle \in \text{u}} [-t_1(c_{i\sigma}^\dagger c_{j\sigma} + h.c.) + V_1 n_i n_j] \\ + \sum_{\langle ij \rangle \in \text{d}} [-t_2(c_{i\sigma}^\dagger c_{j\sigma} + h.c.) + V_2 n_i n_j] \\ + \sum_i \frac{U}{2} (n_i - \frac{1}{2})^2,$$

- * Large U alone **cannot** localize the electron.
- * V_1 and V_2 are needed: because it is 4d orbital, and also to localize the electron in the clusters.



Generic phase diagram



spin sector is spin liquid

V_2 is small, V_1 is large

Here $t_1/t_2 = 4$, no qualitative difference
for different t_1/t_2

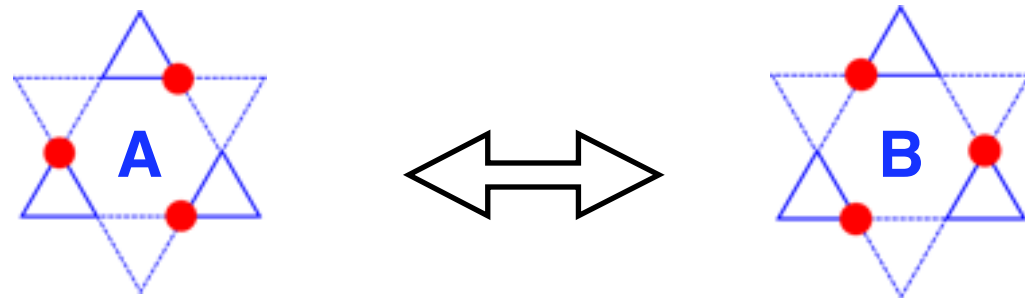
snapshots of electron occupation in type-I CMI

- A “simple” understanding:

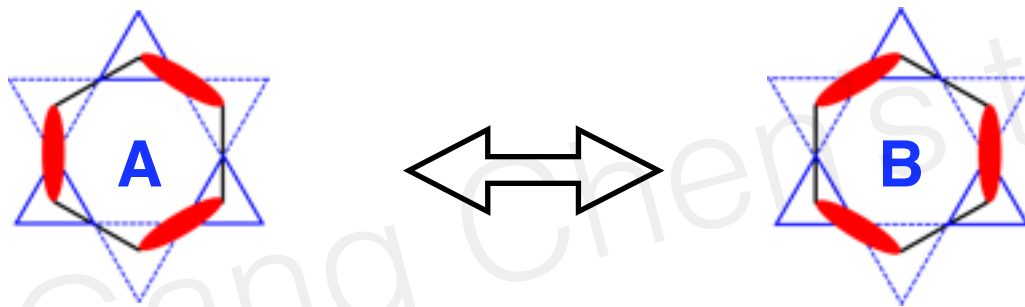
- * Electrons are localized in **one** type of triangles in type-I CMI;

- * Electrons are localized in **both** types of triangles in type-II CMI.

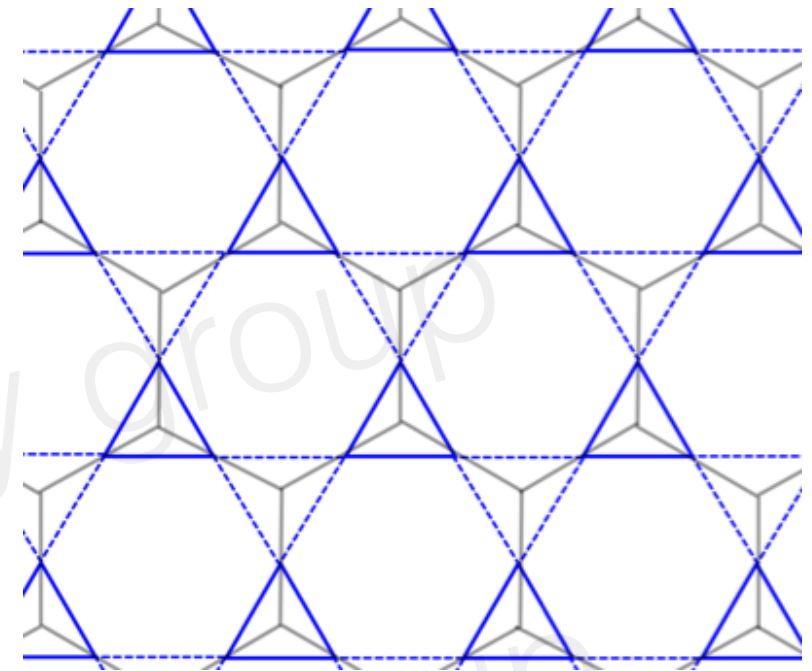
Sub-Mott-gap process: correlated electron motion



3rd order process in type-II CMI



dimer resonating

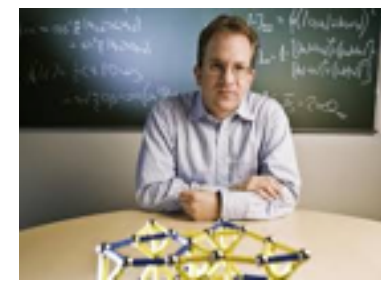


Dual honeycomb lattice and Kagome lattice

This collective tunnelling process **preserves the center of mass** of 3 electrons !

$$H_{QDM} \sim - \sum_{\text{hex}} (|\text{hex}\rangle\langle\text{hex}| + |\text{hex}\rangle\langle\text{hex}|)$$

Type-II CMI: plaquette charge order via QDM



R. Moessner



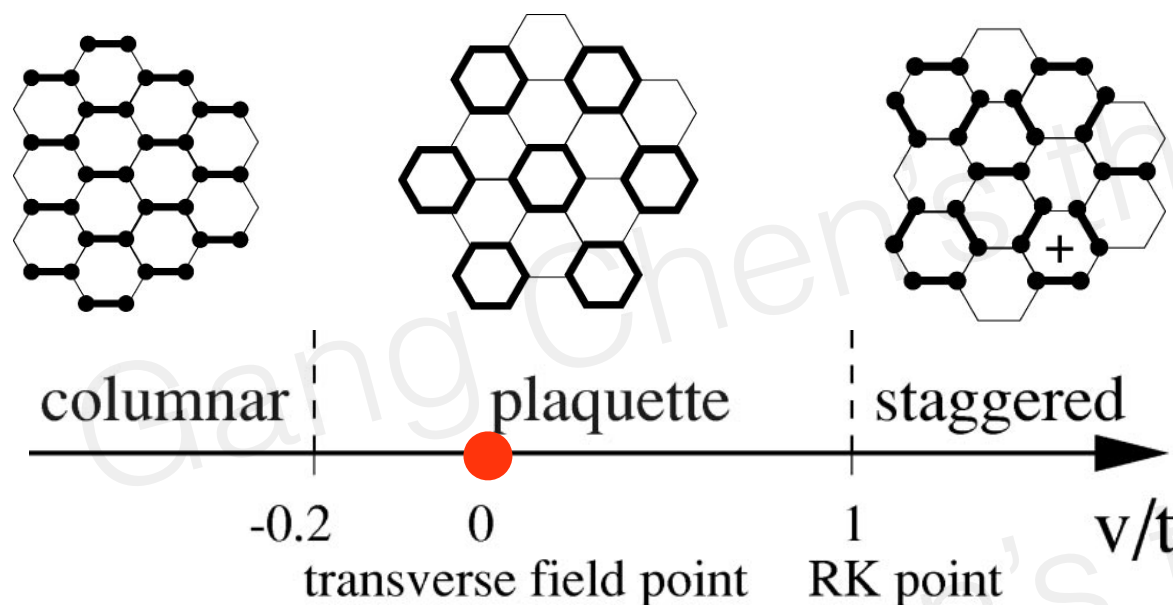
S. Sondhi



P. Chandra

- A model study in 2001

$$H_{QDM} = -t (|\text{hexagon with 2 red edges}\rangle \langle \text{hexagon with 2 red edges}| + |\text{hexagon with 2 red edges}\rangle \langle \text{hexagon with 2 red edges}|) + v (|\text{hexagon with 2 red edges}\rangle \langle \text{hexagon with 2 red edges}| + |\text{hexagon with 2 red edges}\rangle \langle \text{hexagon with 2 red edges}|)$$



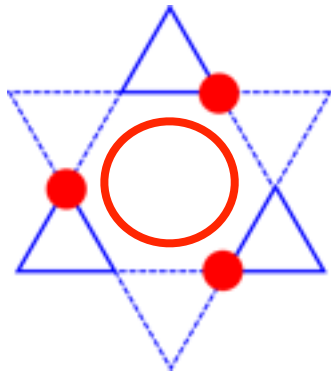
- **plaquette charge order**

- Remarks:

- * The plaquette charge order is a **local charge “RVB”**.
(This is not Anderson’s spin singlet RVB).
- * One may simply view each resonating hexagon as a benzene molecule.
- * It is a collective behaviour of 3 electrons.
- * It is a **quantum** effect.

Charge order reconstructs the spin state

- Spin state reconstruction



$$\frac{1}{2} \otimes \frac{1}{2} \otimes \frac{1}{2} = \frac{1}{2} \oplus \frac{1}{2} \oplus \frac{3}{2}$$

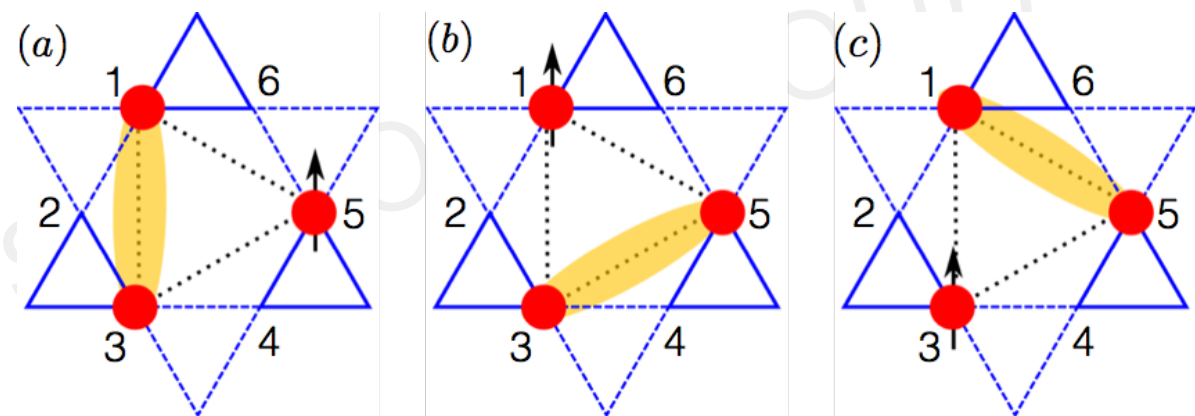
The total spin $S_{\text{tot}} = 1/2$;
Pseudospin $\mathcal{T} = 1/2$, nonmagnetic



K. Kugel

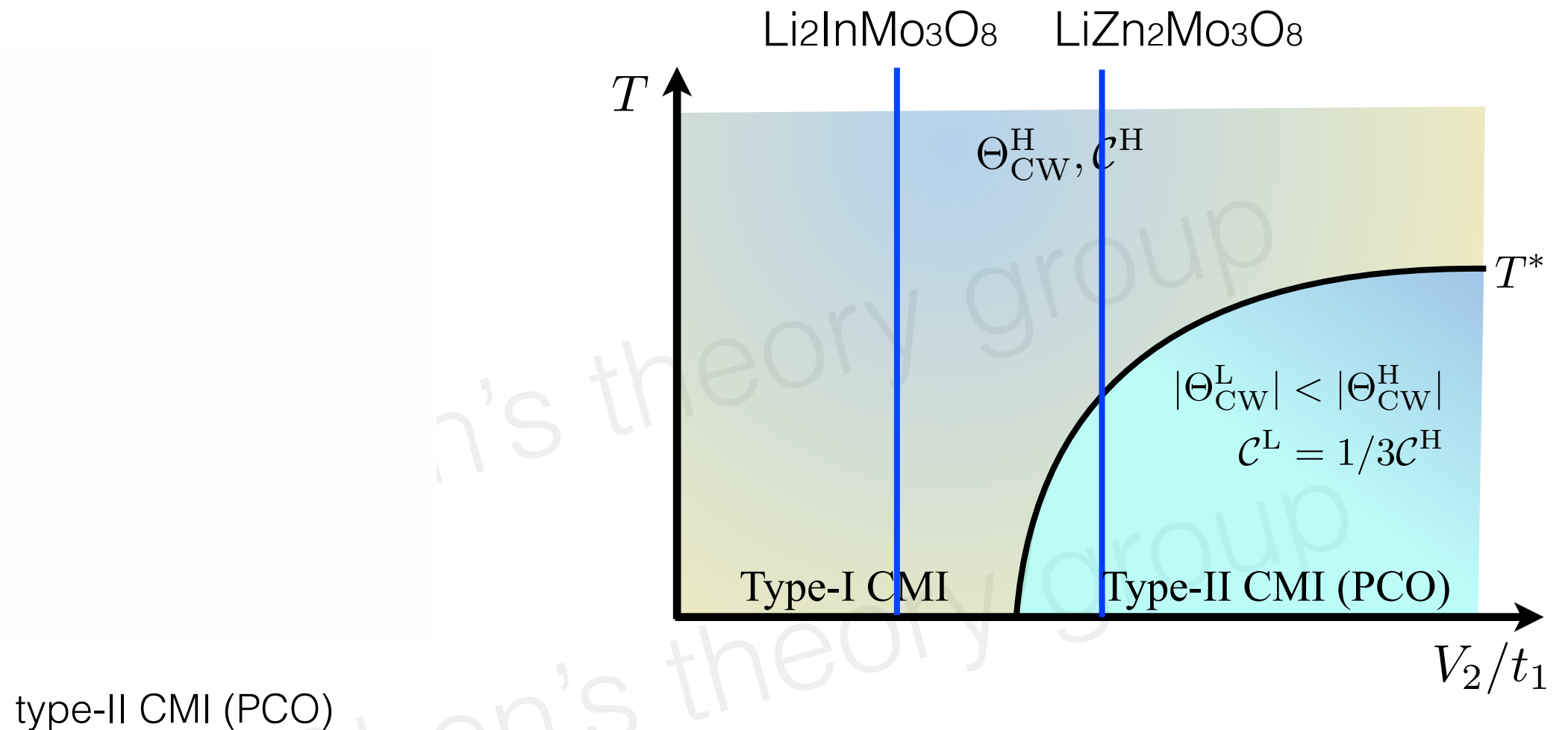


D. Khomskii



An effective Kugel-Khomskii model on
the **emergent triangular lattice**

Explanation for fractional spin susceptibility at finite temperatures



There exists a peak in the heat capacity around 100K, which is consistent with phase transition.

Hastings' theorem implies both CMIs are spin liquids.



E Fradkin



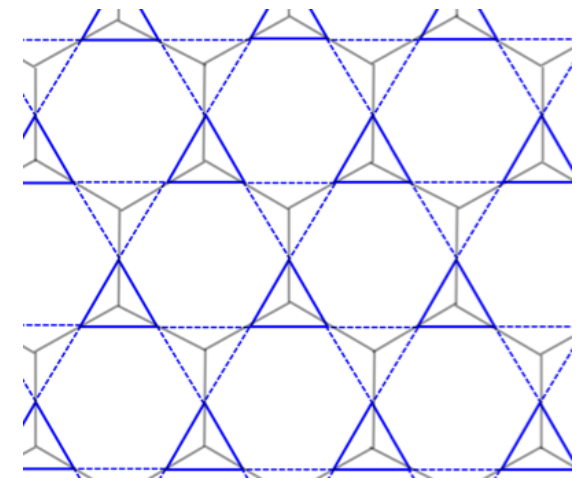
S Kivelson



S. Sondhi



R. Moessner



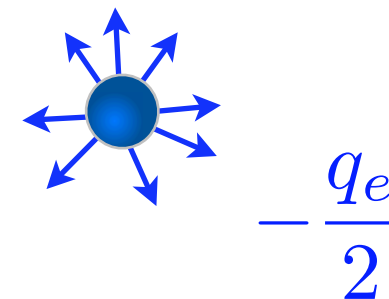
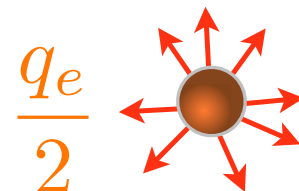
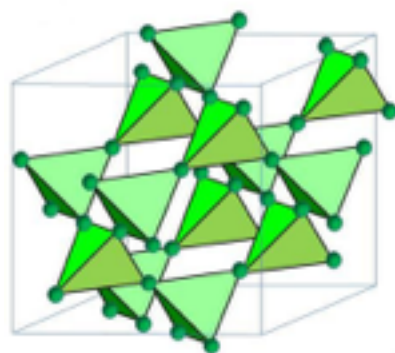
- **Quantum Dimer Model = Lattice Gauge Theory**;
bipartite: compact U(1) gauge theory,
non-bipartite: Z₂ gauge theory.

$$H_{QDM} \sim - \sum_{\text{hex}} (|\text{hexagon}\rangle\langle\text{hexagon}| + |\text{hexagon}\rangle\langle\text{hexagon}|)$$



A. Polyakov

- The PCO in type-II CMI can be understood as the confining phase of compact U(1) gauge theory in 2D.
- This implies 3D CMI supports **quantum charge liquid & charge fractionalization** !



Summary

- I provide specific examples to illustrate some of the physics in cluster Mott insulators.
- There is a very interesting interplay between the charge and spin degrees of freedom in both 2D and 3D cluster Mott insulators, maybe also with **disorders** in the future!
- Cluster Mott insulators are new physical systems that may host various emergent and exotic physics.